

Ben, these are thorough and detailed as usual. I have two suggestions for next time (aka your last set of sc's!): ① Try to illustrate alternate methods to confirm your results (you did do this, ^{at least once}, but try to find more opportunities) and ② it is not necessary to recap the problem for each one (though this is a good habit in general, but I'd rather you spend time doing ①.)

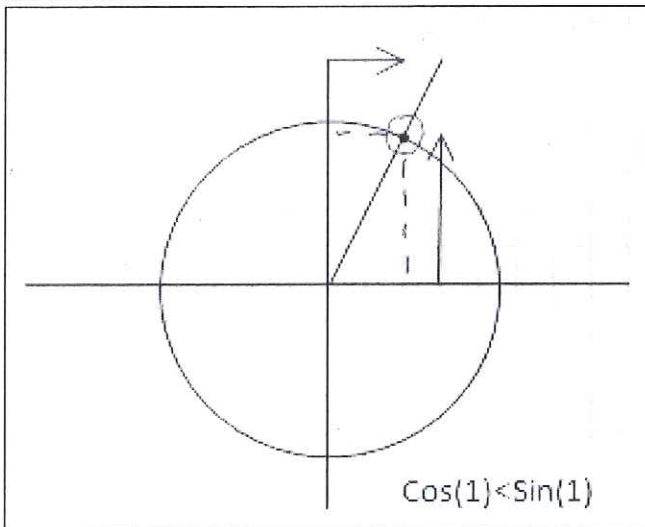
Superduper correction Form

Name: Ben Passey

3 convince me that you now understand the concept. Make connections and build on the problem if possible; be sure to explain the error(s) that you made.
Original 2.5/4 Super correction 4/4 ✓

Problem 3 compares sine and cosine values and asks to label them as $<$, $>$, or $=$. I approached to problem by drawing a circle and plotting the sine and cosine values, which helped me, visualize the questions. Of the three questions I got the first two correct, and the third wrong. The third question asks if $\cos(1)$ is $<$, $>$, or $=$ to $\sin(1)$. I said that they were $=$, and in fact $\cos(1)$ is $<$ than $\sin(1)$. The answer to the question should have been obvious for me, but because I saw that the equation was $\cos(1)$ and $\sin(1)$, I made the mistake of thinking that because both sine and cosine were equal to 1, that they had equal values. If I had plotted $\cos(1)$ and $\sin(1)$ on the unit circle like I did for the questions a and b, it would have been quite obvious that $\sin(1)$, is larger than $\cos(1)$, because the rise is around twice the run, so therefore the y is greater than the x.

Correct solution:



Helped by Ms. Patterson

Steps for solving this problem

1. Plot $\cos(1)$ and $\sin(1)$ on a unit circle
2. Compare the rise to the run, the larger value determines if \cos or \sin is larger
3. To check the answer, use a graphing calculator to compare the two values

Checking with a Calculator

$\cos(1)$
.5403023059

$\sin(1)$
.8414709848

Therefore, $\sin(1)$ is larger than $\cos(1)$

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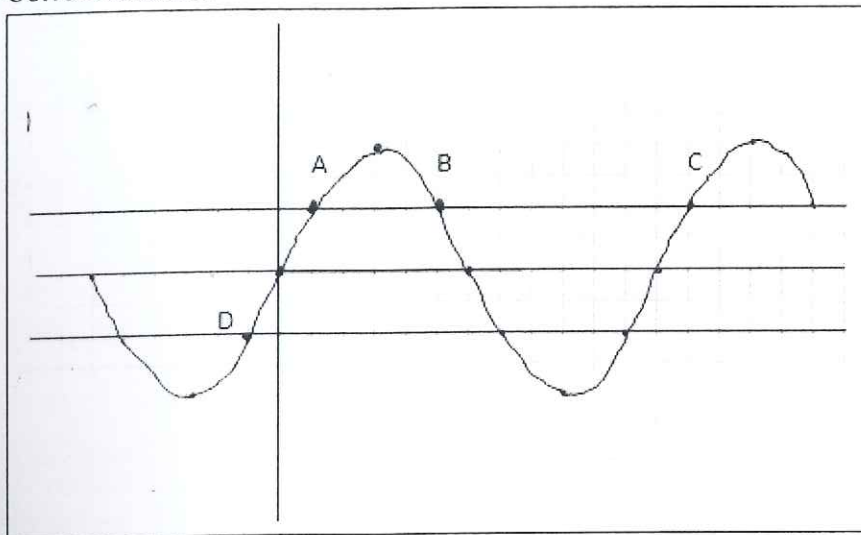
Question 4 provides a coordinate on a graph and asks to find three other coordinates using the coordinates of one point and the equation $y = \pi/20x$. I successfully found one of the three points. I found the point by looking at the graph and noticing that point D was the same distance from the y axis as point A, the given point. Point D was located in the III quadrant, which I knew meant that both the x and y were negative. I tried to find points B and C by looking at the graph and simply adding the x of point A to point A. (ex. Point A $x = 4$, $4+4=8$, therefore 8 would be the maximum) Unfortunately, although this was a good idea, it didn't work, because the distance from point A to point B was not 4 it was in fact 6. I know it is 6 because I was given the equation $y = \pi/20x$. If 2π is divided by $\pi/20$, the period can be found. The period was 40. Knowing the period should have tipped me off to the fact that adding 4 wasn't correct, because I knew that half a period was 20, so naturally a fourth of a period was 10, not 8. With this knowledge, I could simply subtract 4 from 10, which would give me 6, the distance from point A to a fourth of the period, or the maximum. So, knowing that the distance between point A and the maximum is 6 allows me to find point B, which is 6 away from 10, or 16. So the coordinates of point B are (16, 0.5878). There are two ways to find point C, the first way to find point C is to add 4 to point B

Superdupercorrection Form

Name: Ben Passey

making the value 20, since half the period is twenty another 20 will make a full period, point C is another 4 away from the period, so if you add 4 + the period (40), you will get the coordinates of C (44, 0.5878). The other an slightly more simplistic way to find point C would to observe that from point A to point C is a period, but since point a isn't on the x axis which is where the measurements begin, it is necessary to add the distance from point A to the x axis, or 4 to the period making the distance from the x axis to point C (44, 0.5878). Either way will yield the correct answer.

Correct solution:



Point Coordinates

$$A = (4, 0.5878)$$

$$B = (16, 0.5878)$$

$$C = (44, 0.5878)$$

$$D = (-4, -0.5878)$$

Period

$$Y = \sin(\pi/20x)$$

$$B = \pi/20$$

$$\text{Period Formula} = 2\pi/B$$

$$2\pi / \pi/20 = 40$$

$$\text{Period} = 40$$

5 convince me that you now understand the concept. Make connections and build on the problem if possible; be sure to explain the error(s) that you made.

Original 1.5 / 4 Supercorrection 4/4

To find x in problem 5 question A, I attempted to use the Pythagorean Theorem. I had to use the Pythagorean Theorem because I knew the triangle wasn't a 30, 60, 90 triangle. I set up the problem correctly but made a small mistake. I wrote $5^2 - 2^2 = x^2$, when solving however, instead of squaring 5 and 2, I multiplied them by two and then subtracted. For the life of me I have no idea why I did that, but I guess I was just rushing and I made a careless mistake. When I got the answer square root of 6, it didn't look correct to me, so I just wrote the answer as 2 square root 3, which would have been the correct answer, if the triangle had been a 30, 60, 90 triangle. The small error of multiplying rather than squaring caused the entire problem to be wrong. If I had squared 5 rather than multiplied it by two, I would have had the equation $25 - 4 = x^2$. Therefore, the correct answer is x = the square root of 21, or 4.58. If I had taken the time to check my answer it would have been immediately apparent to me that 2 square root 3 was an impossible answer, because 2 square root 3 is equal to the square root of 12, and 12 is much larger than the other two sides of the triangle, which means that it is incorrect. If I were allowed a calculator I could have done the math on the calculator which would not have made the mistake of multiplying instead of squaring. If I had done the math correctly the first time, I could have used my calculator to confirm that the answer the square root of 21 or 4.58 was correct.

For question 5 B, I once again started out correct by setting up the problem using the Pythagorean Theorem. From the equation $x^2 + x^2 = 10^2$, I found that the hypotenuse was 100. I was very close to finding the right answer, because I realized that x had to equal 50, but when trying to simplify 50 I couldn't think of any factors